

# Non-thermal dark matter with stable charged particles : a study in some non-supersymmetric scenarios

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## Abstract: A few words

In view of the fact DM particles has yet not left its footprints in direct-detection and LHC experiments

⇒ Two BSM scenarios with a non-thermal Dark Matter(DM) candidate accompanied by a charged long-lived particle have been discussed.

⇒ Discovery prospects of both the scenarios during upcoming runs of LHC has also been analyzed.

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  - $\Rightarrow \langle \sigma v \rangle \sim 3 \times 10^{-26} \text{cm}^3 \text{s}^{-1}$
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- ▶ **DM interaction strength is much smaller with the SM particles**  
 $\Rightarrow$  DM particles had never been in thermal equilibrium  $\Rightarrow \frac{\Gamma_X}{H} < 1$ .  
 $\Rightarrow$  **Non-thermal dark matter.(FIMP)**

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 $\Rightarrow$  (A) Type III seesaw model with a sterile neutrino DM.  
 $\Rightarrow$  (B) IDM with a Majorana neutrino DM.

## Type III seesaw with a sterile neutrino

# Model A: Type III seesaw with a sterile neutrino

- ▶ SM fields +  $\Sigma_{jR}$  ( $\Rightarrow \Sigma_{jR}^+, \Sigma_{jR}^0, \Sigma_{jR}^-$ ) +  $\nu_{sR}$   
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- ▶ dimension-5 interactions  $\Rightarrow \eta_3^0$  and  $N^0$  mixes.

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- ▶ Large  $\Lambda \Rightarrow \chi$  is non-thermal DM.

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- $\chi$  production in early universe:-  $\eta_3^\pm \rightarrow \chi W^\pm$  and  $\psi \rightarrow \chi h$  (No  $Z_\mu$  coupling)  $\Rightarrow$  From decay of next-to-lightest odd particles (NLOP).

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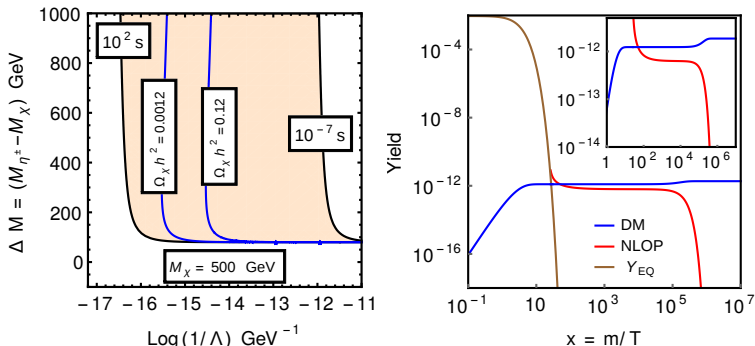
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- ▶ Constraints on  $\Gamma_{\text{NLOP}}$ 
  - $\Rightarrow$  Upper limit from  $\Omega_\chi h^2 \lesssim 0.12$
  - $\Rightarrow$  Lower limit from  $\tau_{\text{NLOP}} \lesssim 100\text{sec}$

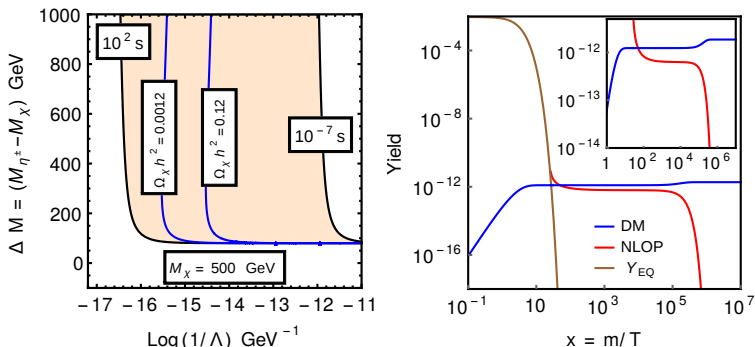
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**Figure :** Region of parameter space allowed by DM relic density and BBN constraints (left). DM and NLOP yield as a function of  $x = \frac{M_\chi}{T}$  (right). Plot is for  $M_\chi = 500$  GeV.



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- $\Lambda \sim 14.5 \text{ GeV}$ ,  $\Delta M \sim 300 \text{ GeV} \Rightarrow$  **Correct Relic density** and **collider scale stable NLOP** ( $\eta^\pm, \psi$ ) .

## IDM with majorana neutrino DM

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- ▶ Proper choice of  $\mu_2, \lambda_3, \lambda_4, \lambda_5$  and  $M_3$  (Majorana mass for  $N_{3R}$ )  
 $\Rightarrow M_{A^0}^2 \simeq M_{H^0}^2 > M_{H^\pm}^2 > M_3$



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- ▶  $N_{3R}$  interactions :-  $y_{\nu j} \bar{N}_{3R} \tilde{\Phi}_2^\dagger L_{Lj}$
- ▶ Proper choice of  $\mu_2, \lambda_3, \lambda_4, \lambda_5$  and  $M_3$  (Majorana mass for  $N_{3R}$ )  
 $\Rightarrow M_{A^0}^2 \simeq M_{H^0}^2 > M_{H^\pm}^2 > M_3$
- ▶  $N_{3R}$  is only  $\mathbb{Z}_2$  odd fermion  $\Rightarrow \chi (= N_{3R} + N_{3R}^c)$  is DM.  
 $\Rightarrow M_\chi = M_3$

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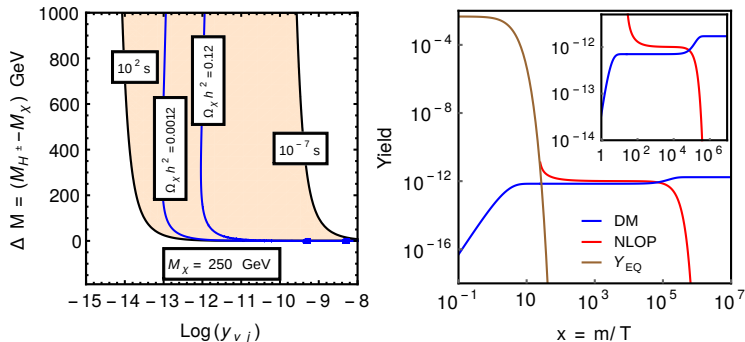
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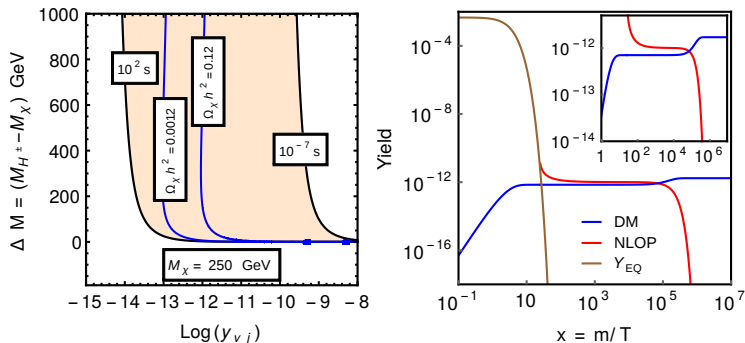
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- ▶ Relic density and BBN data constraints  $\Gamma_{NLOP}$ .

## Model B: IDM with a Majorana neutrino DM



**Figure :** Region of parameter space allowed by DM relic density and BBN constraints (left) and DM and NLOP yield as a function of  $x = \frac{M_{H^\pm}}{T}$ . Plot is for  $M_\chi = 250$  GeV.

## Model B: IDM with a Majorana neutrino DM



**Figure :** Region of parameter space allowed by DM relic density and BBN constraints (left) and DM and NLOP yield as a function of  $x = \frac{M_{H^\pm}}{T}$ . Plot is for  $M_\chi = 250 \text{ GeV}$ .

- $y_{\nu j} \sim 10^{-12}$ ,  $M_{H^\pm} \sim 500 \text{ GeV}$  and  $M_\chi \sim 250 \text{ GeV} \Rightarrow \tau_{\text{NLOP}} \sim 0.0297 \text{ s} \Rightarrow H^\pm$  will decay outside detectors.



# Collider signal

► **Model A :-**

$p p \rightarrow \eta_3^\pm \eta_3^\mp$  (Opposite-sign tracks)  $\Rightarrow$  Z-mediation

$p p \rightarrow \eta_3^\pm \psi$  (Single track +  ~~$E_T$~~ )  $\Rightarrow$   $W^\pm$ -mediation

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$p p \rightarrow H^\pm H^\mp$  Z-mediation

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- **Background :-**

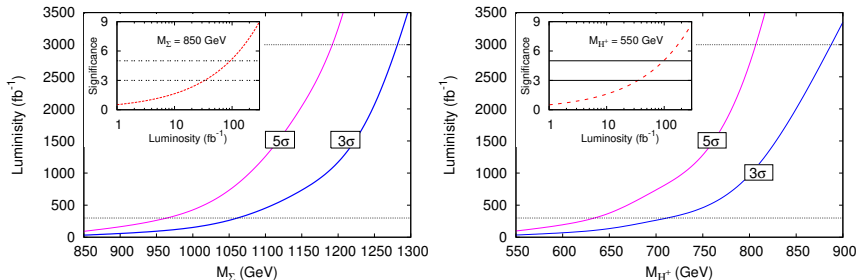
**Opposite sign :-** Drell-yan,  $t \bar{t}$  and di-boson.

**Single track :-**  $t \bar{t}$ , di-boson.

**Same sign :-**  $t \bar{t}, t \bar{t} W^\pm$  and di-boson.

$\rightarrow$  Cosmic-ray muon in each case.

# Collider Analysis



**Figure :** Integrate luminosity vs NLOP mass reach for Opposite-sign charged tracks of the Model A(left) and Model B(right) in 14 TeV run of LHC. Inset shows the significance vs luminosity for fixed BP in each case.

- Proper choice of kinematic cuts ([JHEP 01 \(2015\) 068, 1411.6795](#))  
 $+ \int \mathcal{L} dt \ 300 \text{ fb}^{-1} \Rightarrow$   
 Model A:-  $M_Z = 970(1060) \text{ GeV}$  at  $5\sigma(3\sigma)$  statistical significance.  
 Model B:-  $M_{H^\pm} = 630(710) \text{ GeV}$  at  $5\sigma(3\sigma)$  statistical significance. ≡ 🔍 ↺

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- ▶ Production of any of the particles charged under this *extra* symmetry ultimately leads to the production of DM.
- ▶ The DM particle leaves its signature within the collider-detectors as large missing transverse momentum ( $\vec{p}_T$ ) or transverse energy ( $E_T$ ) along with jets(or photons).
- ▶ Heavy stable charged tracks are very interesting and unusual signature of DM.





## Back-up slides

# Backup

- ▶ Type III seesaw model +  $SU(2)_L$  singlet singly charged Weyl fermion  $\lambda_{L,R}$  +  $SU(2)_L$  triplet scalar  $\Delta$ .
- ▶ Interactions :-  $-M_\lambda \bar{\lambda} \lambda - Y_\lambda \text{Tr}(\bar{\Sigma}_{3R}^c \Delta \lambda_R + \bar{\Sigma}_{3R} \Delta \lambda_R^c) + h.c$
- ▶  $\eta_3^\pm$  and  $\lambda$  mixes among themselves  $\Rightarrow$  For  $M_\lambda > M_\Sigma$  the lower mass eigenstate is  $\eta_3^\pm$  dominated.

$M_\Sigma$ (GeV) $\approx M_\psi$	$M_\lambda$ (GeV)	$Y_\lambda$	Eigenvalues	
			Light(GeV) $\approx M_{\eta_3^\pm}$	Heavy (GeV)
850	2000	5	849.65	2000.35
	2500	5	849.76	2500.24
950	2000	5	949.62	2000.38
	2500	5	949.74	2500.26

**Table :** Eigenvalues of the nearly degenerate charged and neutral fermions for few benchmark points after mixing between the triplet fermion and vector-like heavy charged fermion. Scalar triplet vev is  $v_\Delta = 4$  GeV.

# Backup

- The chosen benchmarks for model A:-

Parameters	$M_{\Sigma}$ (GeV)	$M_{\nu_s}$ (GeV)	$\Lambda$ (GeV)
BP1	850	500	$10^{15}$
BP2	950	500	$10^{15}$

**Table :** Benchmark points for studying the discovery prospects of stable charged tracks of  $\eta_3^{\pm}$  and  $\psi$  for Type III seesaw model at 14 TeV run of LHC.

- The chosen benchmarks for model B:-

Parameters	$M_{H^{\pm}}$ (GeV)	$M_{H^0}$ (GeV)	$M_{A^0}$ (GeV)	$M_3$ (GeV)	$y_{\nu j}$
BP1	550	555	555	250	$10^{-12}$
BP2	600	605	605	250	$10^{-12}$

**Table :** Benchmark points for studying the discovery prospects of stable charged tracks of  $H^{\pm}$  for IDM at 14 TeV run of LHC. We have considered  $\lambda_2=0.5$  and  $\lambda_L=0.04$ .

## Backup

- Chosen kinematical cuts:-

Parameter	$\beta$	$p_T$	$ y(\mu_{1,2}) $	$\Delta R(\mu_1, \mu_2)$
Cut values	(A)[0.2, 0.95] (B)[0.2, 0.80]	$> 70 \text{ GeV}$ $> 70 \text{ GeV}$	$< 2.5$ $< 2.5$	$> 0.4$ $> 0.4$

**Table :** Basic selection cuts applied to analyze signals of heavy stable charged track.

- Results for Model A:-

Signal	Benchmark point	$\int \mathcal{L} dt$ for $5\sigma$	$N_S$	$N_B$	$N_S/N_B$
Opposite Sign	BP1	92.95	92	248	0.37
	BP2	263.23	146	702	0.21
Single Track + $\cancel{E}_T$	BP1	(A)340.40 (B) 24.81	841 46	27436 40	0.030 1.150
	BP2	(A)1076.19 (B) 56.60	1485 62	86741 91	0.017 0.681

**Table :** Integrated luminosity ( $fb^{-1}$ ) required to attain  $5\sigma$  statistical

# Backup

► Results for Model B :-

Signal	Benchmark point	$\int \mathcal{L} dt$ for $5\sigma$	$N_S$	$N_B$	$N_S/N_B$
Opposite Sign	BP1	97.81	94	261	0.36
	BP2	195.16	127	520	0.24
Same Sign	BP1	71.62	67	115	0.58
	BP2	137.45	88	220	0.40

**Table :** Integrated luminosity( $fb^{-1}$ ) required to attain  $5\sigma$  statistical significance for  $H^\pm H^\mp$  signal for the considered benchmark points during 14 TeV run of LHC.