



Searches for Squeezed Spectra

Jason Kumar

University of **Hawaii**

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A scenic beach scene with palm trees in the foreground and middle ground. In the background, a rocky shore juts out into the ocean, where several people are swimming. The water is a vibrant blue, and the sky is clear and blue.

collaborators

- Andrew Davidson
- Chris Kelso
- Pearl Sandick
- Patrick Stengel



squeezed spectra

- basic scenario
 - dark matter χ is a gauge-singlet Majorana fermion ...
 - ... which couples to SM fermion f ...
 - ... through exchange of SM-charged scalar(s) $\tilde{f}_{1,2}$
 - χ and $\tilde{f}_{1,2}$ charged under Z_2 symmetry which stabilizes DM
- arises in a variety of frameworks
 - MSSM with bino-like LSP (our main example)
 - scalars = sfermions
 - WIMPless dark matter with DM = Majorana fermion (easy to generalize)
- we're interested in the case of a **squeezed spectrum** ...
 - small mass splitting between DM and lightest mediating scalar ($\mathcal{O}(1\text{-}10)$ GeV)
- ... and when $f = u, d, s$ (light quarks)
- interesting phenomenology for LHC, direct detection and early Universe



new features

- LHC
 - standard sfermion searches **fail**, since MET and visible fermions are **soft**
 - can use ISR jets to give **transverse boost** to system
 - sensitivity **reduced**
- direct detection
 - can get large **enhancement** in scattering cross section from **resonance**
 - boost sensitivity for SI, SD, or even v-suppressed cross sections
- early Universe
 - co-annihilation processes can widen mass range for which **correct thermal relic density** can be achieved



upshot

- direct detection can have higher mass reach than LHC
 - even for small scalar mixing, if mass splitting is small
 - twist-2 operators important
- models escaping LHC searches and direct detection bounds can still get the right thermal relic density via co-annihilation



current LHC constraints (\tilde{q})

- **MSSM squark search**
 - gluinos, etc. decoupled
- very tight bounds when bino-squark splitting is large
- **hard** to search for **squeezed spectra** at LHC
 - **decay products** (visible and invisible) are **softer**
 - need to **boost** with an **extra hard jet**
- assume $m_{\tilde{q}} > 400 \text{ GeV}$ required
- but bounds on specific scenarios can be tighter
- if 8 degenerate light squarks, bino much **lighter**
 - $m_{\tilde{q}} > 1.4 \text{ TeV}$ (CMS 1704.07781)
- for bino-squark splitting of order **20-25 GeV** (8 degenerate squarks)
 - need $m_{\tilde{q}} > 700 \text{ GeV}$ (ATLAS-CONF-2017-060)
- for **very small bino-squark splitting** ($\sim 1 \text{ GeV}$), **weaker still, like monojet search**
 - see parallel talks from Maria and Sushil from Monday



splitting and precision EW

- we'll assume a couple of squarks are light & degenerate, rest heavy
- but **can't** really decouple scalars
 - gauge invariance
- splitting constrained by **precision electroweak variables** (ρ)
- but **direct detection** and **co-annihilation** processes **dominated by lightest squarks**
- if squark-squark splitting larger than bino-squark, can effectively ignore heavier squarks
- **not true for LHC constraints**
- ρ parameter constrained to within 1%
- need $\delta m \equiv m_2 - m_1 < \mathcal{O}(100) \text{ GeV}$
- light squark dominates if $\delta m \gg \Delta m \equiv m_1 - m_\chi$
- true for most of our parameter space

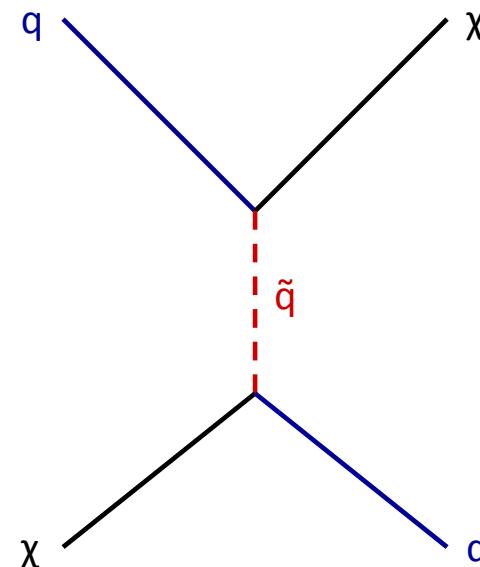
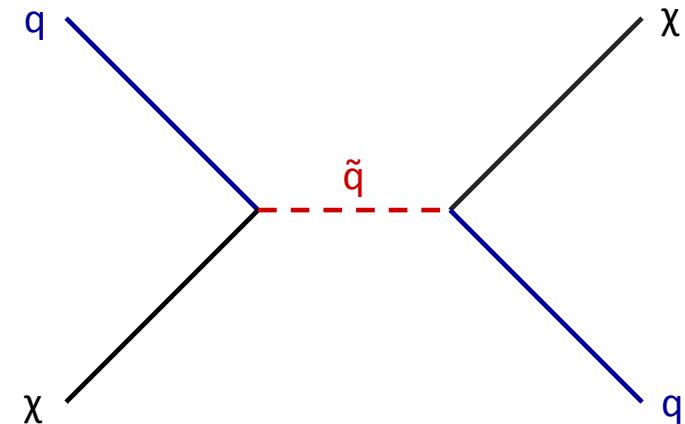
$$\delta\rho \approx \frac{c^2}{16\pi^2} \mathcal{O}\left(\frac{\delta m^2}{m_z^2}\right)$$

$c = \mathcal{O}(1)$ coupling of scalars to weak gauge boson



direct detection

- assume light scalar(s) are **quark partners** (\tilde{u} , \tilde{d} , \tilde{s})
 - exchanged in s-/u-channel
- each scalar a mixture of \tilde{q}_L and \tilde{q}_R
 - mixing angle α
 - need not be small, but can be (MFV)
 - we assume no flavor changing
- in fully non-relativistic limit, scalar propagator goes as $(m_\chi^2 - m_{\tilde{q}}^2)^{-1} \sim (2m \Delta m)^{-1}$
- cross section **enhanced** in **quasi-degenerate** regime
- we'll expand in **contact operators**





dimension-6 operators

- take propagator to 0th order in momentum
- DM is **Majorana** (some operators vanish)
- look for operators yielding either **velocity-independent** and/or **coherently-enhanced** matrix elements
 - these will tend to **dominate**
- assume CPV small
- **three** main **dim-6** operators
- coefficients α_{qi} scale as $(2m \Delta m)^{-1}$
 - **enhanced in quasi-degenerate limit**

$$\mathcal{O}_{q1} = \alpha_{q1} (\bar{\chi} \gamma^\mu \gamma^5 \chi) (\bar{q} \gamma_\mu q)$$

$$\mathcal{O}_{q2} = \alpha_{q2} (\bar{\chi} \gamma^\mu \gamma^5 \chi) (\bar{q} \gamma_\mu \gamma^5 q)$$

$$\mathcal{O}_{q3} = \alpha_{q3} (\bar{\chi} \chi) (\bar{q} q)$$

- \mathcal{O}_1 (**anapole**): A^2 -enhanced terms, v -suppressed
- \mathcal{O}_2 (**axial**): SD
- \mathcal{O}_3 (**scalar**): A^2 -enhanced (SI), α -suppressed
- others suppressed by CPV or more powers of v



a twist-2 operator

- also consider **dim-8** operators
 - arise from expanding propagators to **next order** in p
- most important is **twist-2**
 - A^2 -enhanced (SI), α -independent and “ v -independent”
 - p -suppression absorbed in nucleon form factor
- heuristically, fermion bilinear structure **similar** to **vector** current
 - cancels between diagrams for Majorana fermion
 - but keeping the p -dependence **kills the cancellation**

$$\mathcal{O}_{qT2} = \alpha_{qT2} \left(i \bar{\chi} \gamma^\mu \partial^\nu \chi \right) \\ \times \left[\left(\frac{i}{2} \right) \left(\bar{q} \gamma_\mu \partial_\nu q + \bar{q} \gamma_\nu \partial_\mu q - \frac{1}{2} g_{\mu\nu} \bar{q} \gamma_\lambda \partial^\lambda q \right) \right]$$

- p -dependence of propagator re-expressed as a **derivative expansion**
- but get ($m_N / \Delta m$) suppression, in addition to nucleon form factor suppression
- **interferes** with \mathcal{O}_{q3}



from high scale to nucleon to nucleus

- coefficients α_{qi} defined at the **high scale** (we take as m_z)
- **RG-evolve** coefficients from high-scale to **nucleon scale** (1-2 GeV) (Hill, Solon 1409.8290)
- couple to **nucleon matrix elements** (nucleon form factors)
 - vector factors fixed by gauge-inv.
- convolve with **nuclear response functions** (Anand, Fitzpatrick, Haxton 1308.6288)
 - standard for all operators except \mathcal{O}_1 , which has terms coupling to L (**neither SI nor SD**)

$$B_u^{p(S)} = B_d^{n(S)} = 9.85$$

$$B_u^{n(S)} = B_d^{p(S)} = 6.67$$

$$\nearrow B_s^{p,n(S)} = 0.499$$

most **uncertainty**... we take values with small strange content (1411.2634)

$$B_u^{p(T2)} = B_d^{n(T2)} = 0.40$$

$$B_u^{n(T2)} = B_d^{p(T2)} = 0.22$$

$$\nearrow B_s^{p,n(T2)} = 0.02$$

suppressed by momentum factors (1409.8290)

$$\Delta_u^p = \Delta_d^n = 0.787$$

$$\Delta_u^n = \Delta_d^p = -0.319$$

SD form factors **relatively precise**

$$\nearrow \Delta_s^{p,n} = -0.040$$

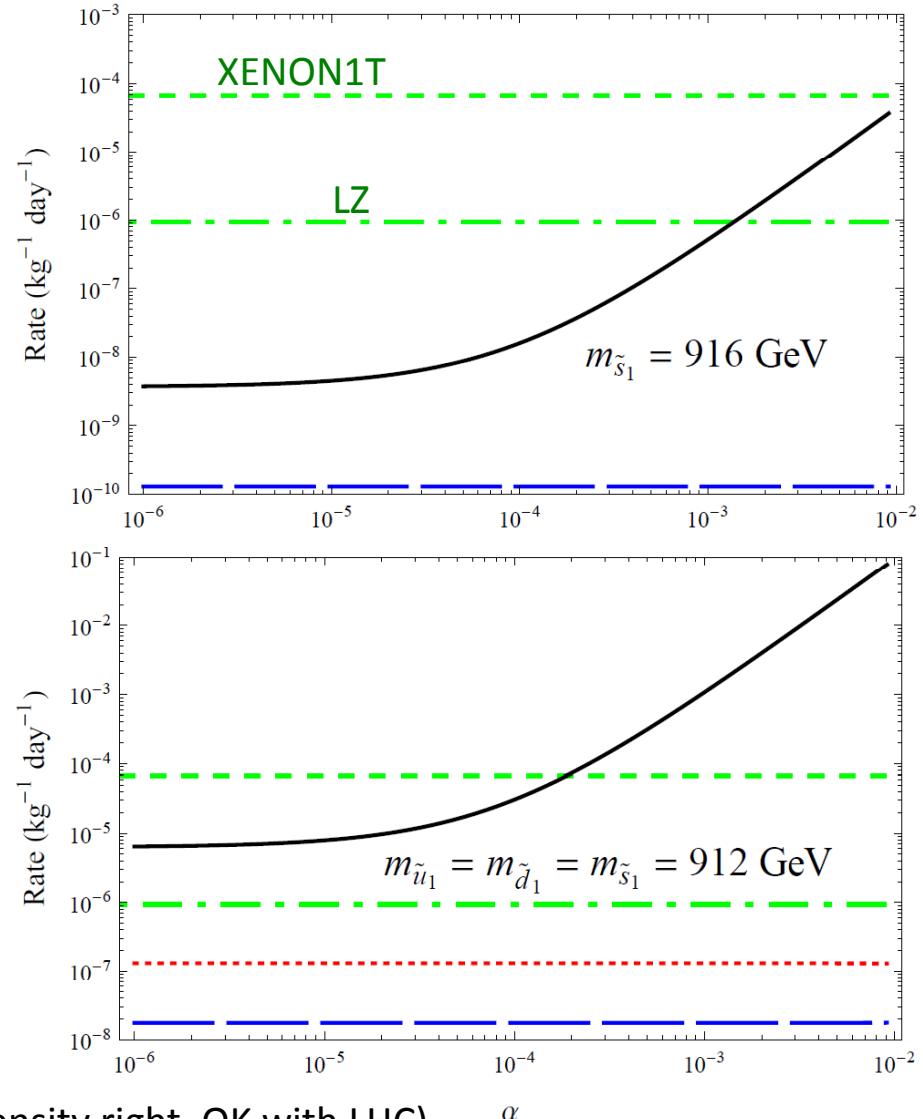
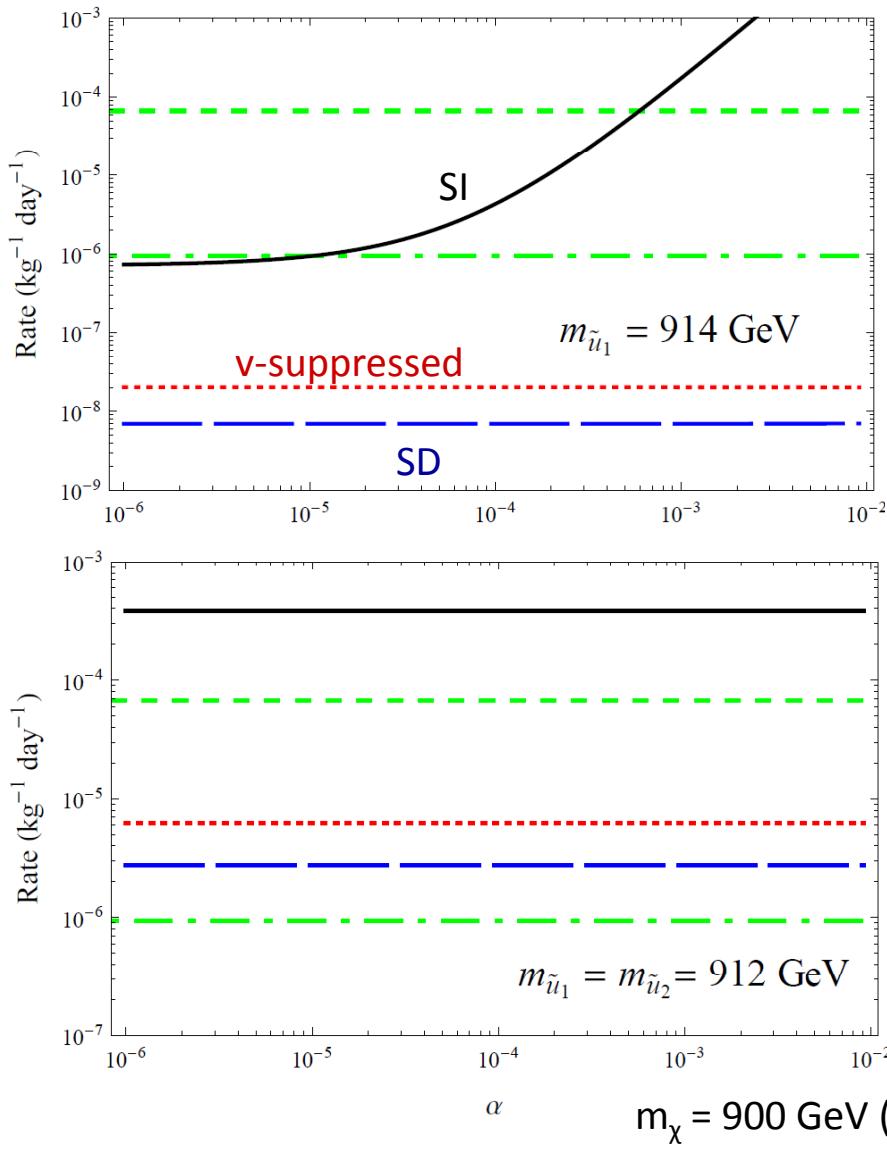


what's important?

- at large scalar mixing, \mathcal{O}_3 should dominate event rate
 - coherent enhancement, no v -suppression, helicity suppression taken small
- at smaller scalar mixing, others can dominate
 - $\mathcal{O}_{1,T2}$ both have coherent enhancement and no helicity suppression
 - \mathcal{O}_1 is v -suppressed, and vanishes for strange quarks
 - \mathcal{O}_{T2} is not “really” v -suppressed, but v -suppression absorbed into nucleon form factor
 - essentially, momentum of the parton, not the nucleon
 - $m_N / \Delta m$
- \mathcal{O}_2 gives SD scattering
 - relatively more important for targets like fluorine

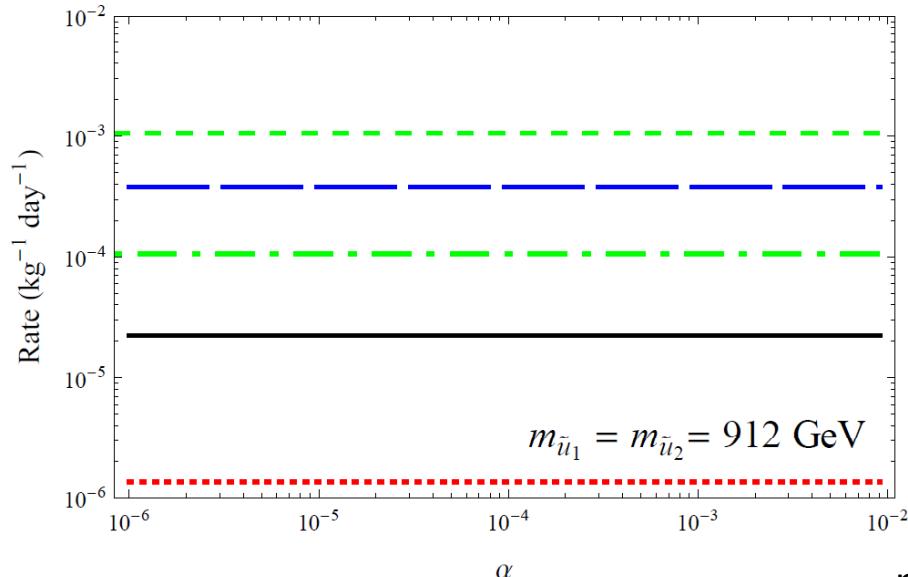
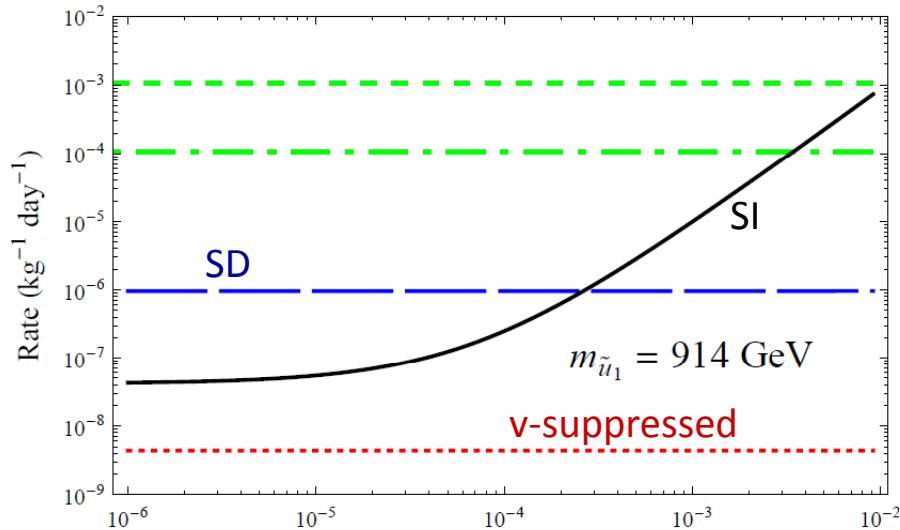


scattering rates - xenon

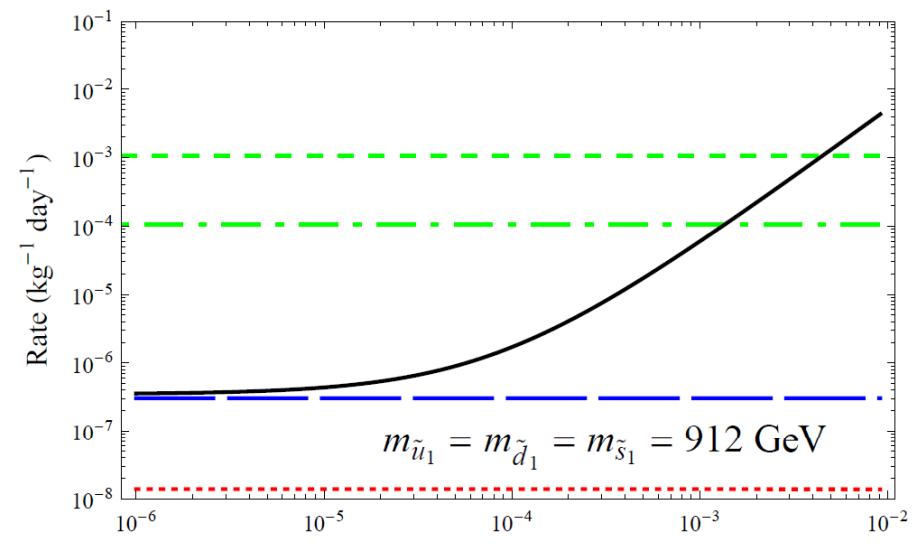
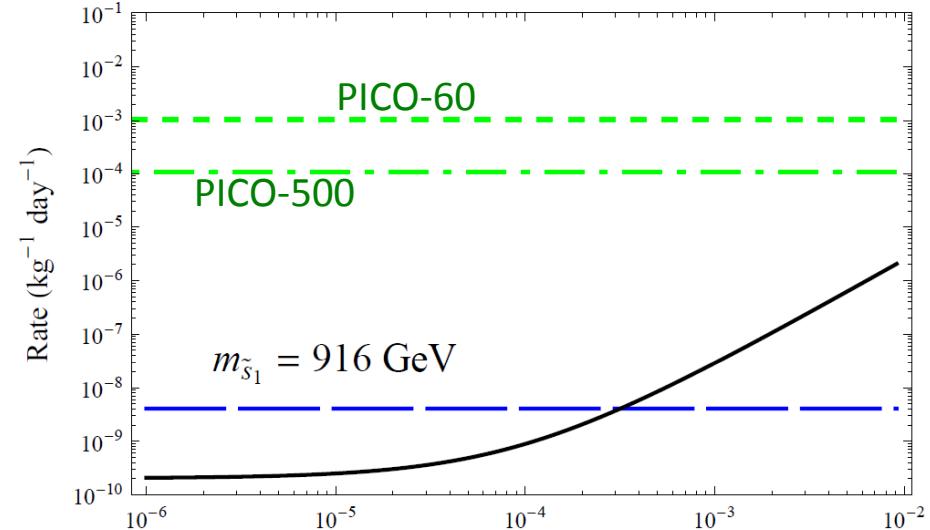




scattering rates - fluorine



$m_\chi = 900 \text{ GeV}$

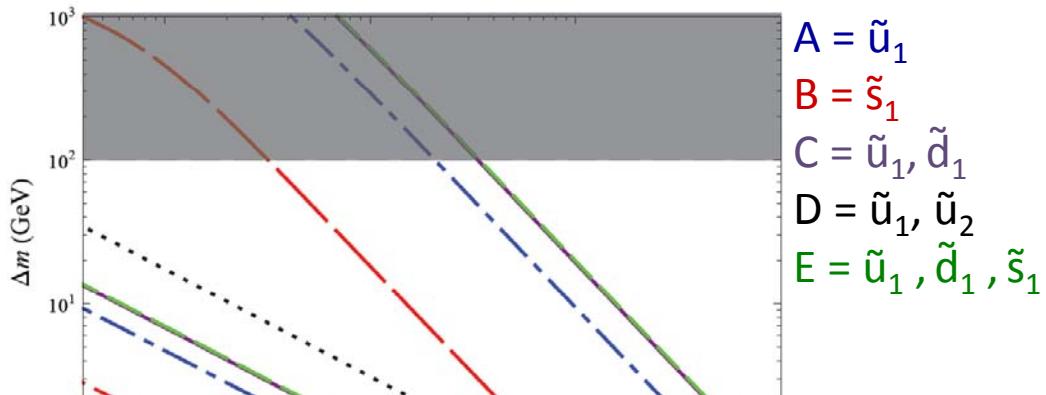


$m_{\tilde{u}_1} = m_{\tilde{d}_1} = m_{\tilde{s}_1} = 912 \text{ GeV}$

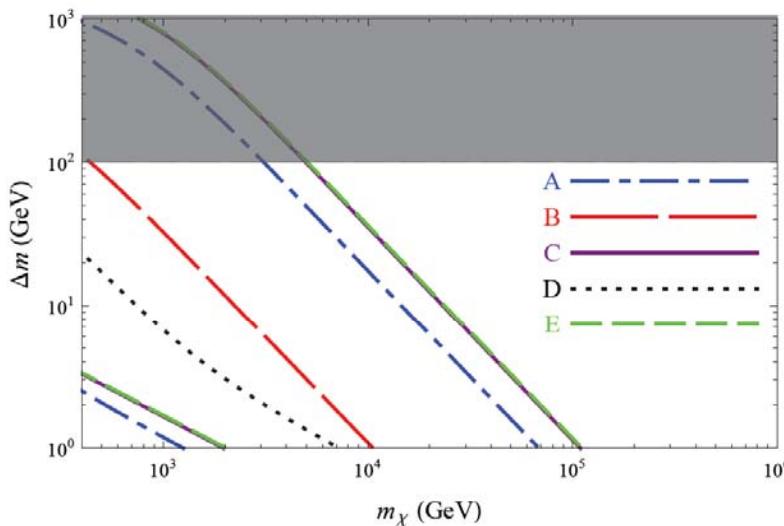


sensitivity

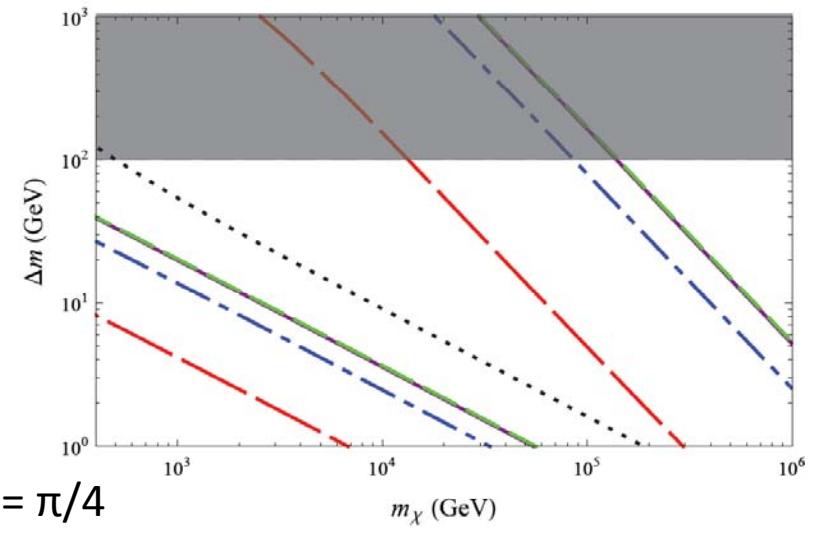
XENON1T



PICO-60

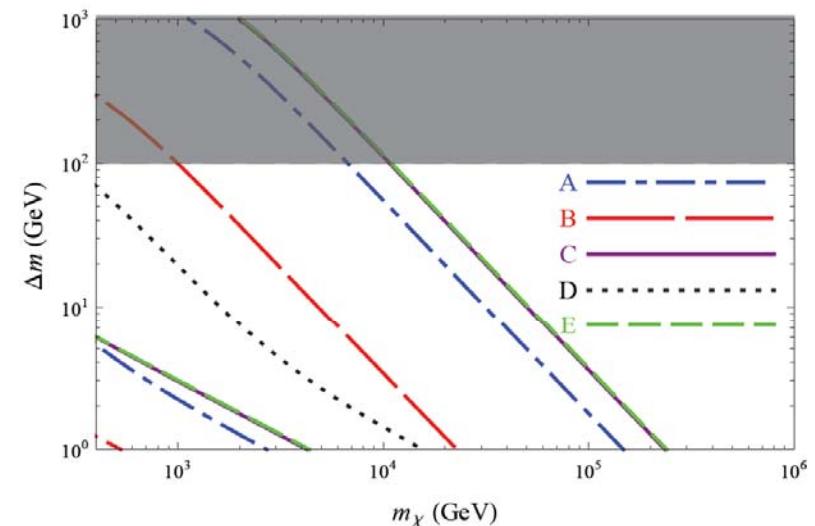


LZ



upper contour: $\alpha = \pi/4$
lower contour: $\alpha = 0$

PICO-250



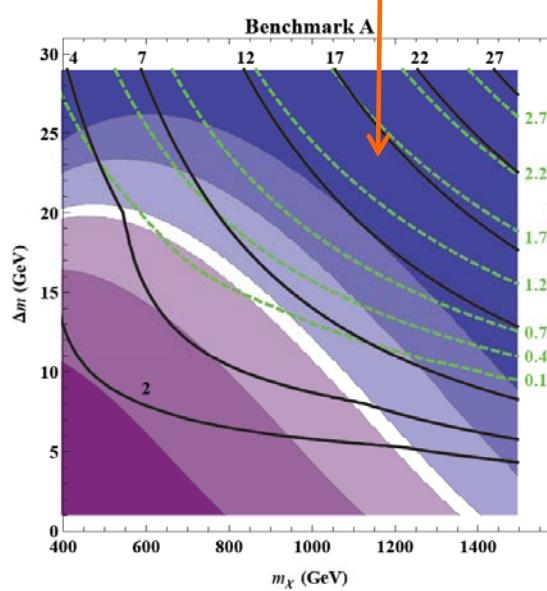


co-annihilation

- if $\Delta m / m_\chi \ll 1$, then charged scalar might still be around at freeze-out
- co-annihilation processes will not have p-wave/chirality suppression
- extends dark matter thermal mass range beyond standard “bulk”
- main processes
 - $xx \rightarrow \bar{q}q$: “bulk” annih. process, v/α -suppressed, important at larger splitting
 - $\chi\tilde{q} \rightarrow qg$: dominates at smaller splitting
 - $\tilde{q}^*\tilde{q} \rightarrow gg, gZ$: dominate at very small splitting
- little dependence on α for small splitting
- similar \tilde{t} co-annihilation regime (some kinematic differences)
- in MSSM scenario, some Higgs processes are not m_q -suppressed
 - not required by gauge-invariance, and don't change the picture much
- not including Sommerfeld-enhancement, but doesn't change qualitatively
 - de Simone, Giudice, Strumia (1402.6287); Liew, Luo (1611.08133)

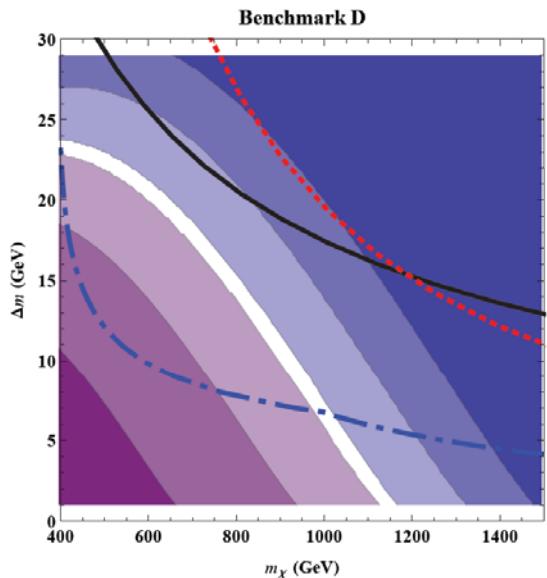
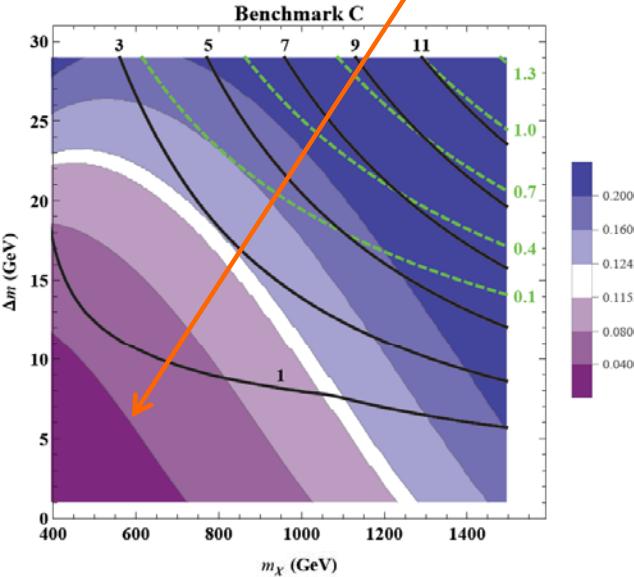
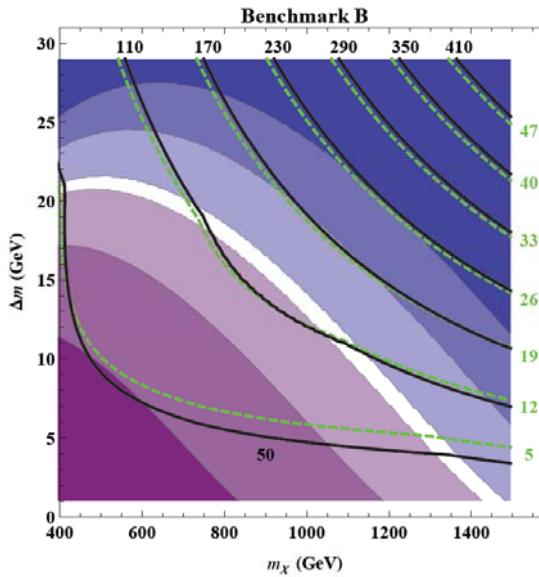


overdense
assume non-thermal



results

underdense
assume multi-component



$A = \tilde{u}_1$

$B = \tilde{s}_1$

$C = \tilde{u}_1, \tilde{d}_1$

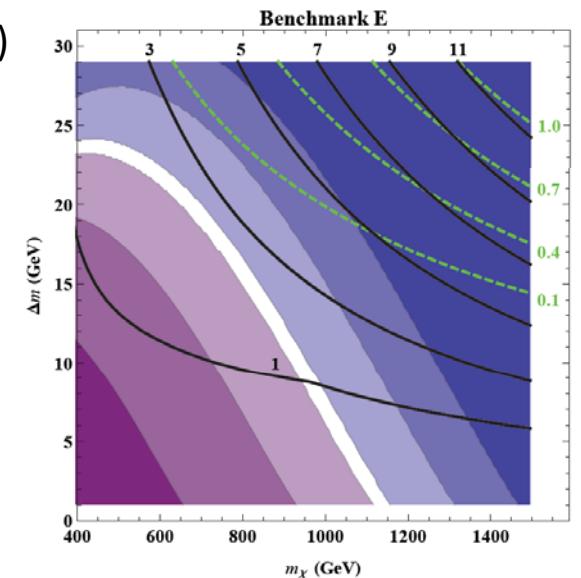
$D = \tilde{u}_1, \tilde{u}_2$

$E = \tilde{u}_1, \tilde{d}_1, \tilde{s}_1$

A, B, C, E: $\alpha (10^{-4})$
for XENON1T
and LZ

D: XENON1T (excluded),
PICO-60, PICO-500

white band = correct relic
density ($\alpha \sim 0$)



conclusion

- small splitting between DM and charged mediator has a big effect on phenomenology
 - enhances direction detection signal, even if L-R mixing is small
 - co-annihilation processes extend thermal relic mass range
 - LHC bounds weakened
- direct detection can probe models well beyond maximum LHC reach
 - but models probed at such large mass scale are fine-tuned
- some models beyond current LHC, LZ reach for which DM can be a thermal relic

Mahalo!



Back-up slides